

## Some definitions (final version)

A grammar  $G$  consists of a pair of a set of lexical elements  $L$  and a set of operations  $O$ :

$$G = \langle L, O \rangle$$

A derivation on a numeration  $D_N$  is a pair:

a set of lexical elements drawn from  $L$ , called the Numeration  $N$ , and  
 an ordered  $n$ -tuple of phrase markers  $PM$ :

$$D_N = \langle N, \langle PM_1, \dots, PM_n \rangle \rangle$$

A derivation  $D_N$  is said to *converge* iff

1.  $PM_n$  contains no unchecked uninterpretable ( $u$ ) features
2.  $PM_n$  contains no unchecked strong ( $*$ ) features
3.  $PM_n$  contains no unvalued ( $:_$ ) features
4. All elements in the Numeration have been Merged
5. For each adjacent pair of phrase markers  $\langle PM_k, PM_{k+1} \rangle$  in  $D_N$ , there is an operation  $\Omega$  such that  $\Omega(PM_k, PM_{k+1}) = 1$ .

### Feature structures:

A lexical item  $LI$  has the following feature structure, given in three equivalent notations:

	<i>category features</i>	<i>inflectional features</i>	<i>selectional features</i>
$LI$	[            ]	[            ]	[            ]

$LI$	<table style="border-collapse: collapse;"> <tr><td style="border: 1px solid black; padding: 2px;">[CAT [ ... ]</td><td style="border: 1px solid black; width: 10px; height: 10px;"></td></tr> <tr><td style="border: 1px solid black; padding: 2px;">[NFL [ ... ]</td><td style="border: 1px solid black; width: 10px; height: 10px;"></td></tr> <tr><td style="border: 1px solid black; padding: 2px;">[SEL [ ... ]</td><td style="border: 1px solid black; width: 10px; height: 10px;"></td></tr> </table>	[CAT [ ... ]		[NFL [ ... ]		[SEL [ ... ]		$LI$	[ ... ; ... ; ... ]
[CAT [ ... ]									
[NFL [ ... ]									
[SEL [ ... ]									

Some examples:

$see$	<table style="border-collapse: collapse;"> <tr><td style="border: 1px solid black; padding: 2px;">[V</td><td style="border: 1px solid black; width: 10px; height: 10px;"></td></tr> <tr><td style="border: 1px solid black; padding: 2px;">[-aux]</td><td style="border: 1px solid black; width: 10px; height: 10px;"></td></tr> </table>	[V		[-aux]		[            ]	<table style="border-collapse: collapse;"> <tr><td style="border: 1px solid black; padding: 2px;">[uD</td><td style="border: 1px solid black; width: 10px; height: 10px;"></td></tr> <tr><td style="border: 1px solid black; padding: 2px;"> </td><td style="border: 1px solid black; width: 10px; height: 10px;"></td></tr> <tr><td style="border: 1px solid black; padding: 2px;">[&lt;TH&gt;</td><td style="border: 1px solid black; width: 10px; height: 10px;"></td></tr> </table>	[uD				[<TH>							
[V																			
[-aux]																			
[uD																			
[<TH>																			
$v_{trans}$	<table style="border-collapse: collapse;"> <tr><td style="border: 1px solid black; padding: 2px;">[y</td><td style="border: 1px solid black; width: 10px; height: 10px;"></td></tr> <tr><td style="border: 1px solid black; padding: 2px;">[-aux]</td><td style="border: 1px solid black; width: 10px; height: 10px;"></td></tr> </table>	[y		[-aux]		<table style="border-collapse: collapse;"> <tr><td style="border: 1px solid black; padding: 2px;">[uInfl: __</td><td style="border: 1px solid black; width: 10px; height: 10px;"></td></tr> <tr><td style="border: 1px solid black; padding: 2px;">[u]: __</td><td style="border: 1px solid black; width: 10px; height: 10px;"></td></tr> <tr><td style="border: 1px solid black; padding: 2px;">[uCase:ACC</td><td style="border: 1px solid black; width: 10px; height: 10px;"></td></tr> </table>	[uInfl: __		[u]: __		[uCase:ACC		<table style="border-collapse: collapse;"> <tr><td style="border: 1px solid black; padding: 2px;">[uV, uD</td><td style="border: 1px solid black; width: 10px; height: 10px;"></td></tr> <tr><td style="border: 1px solid black; padding: 2px;"> </td><td style="border: 1px solid black; width: 10px; height: 10px;"></td></tr> <tr><td style="border: 1px solid black; padding: 2px;">[&lt;AG&gt;</td><td style="border: 1px solid black; width: 10px; height: 10px;"></td></tr> </table>	[uV, uD				[<AG>	
[y																			
[-aux]																			
[uInfl: __																			
[u]: __																			
[uCase:ACC																			
[uV, uD																			
[<AG>																			
$t_{raising}$	<table style="border-collapse: collapse;"> <tr><td style="border: 1px solid black; padding: 2px;">[T</td><td style="border: 1px solid black; width: 10px; height: 10px;"></td></tr> <tr><td style="border: 1px solid black; padding: 2px;">[-aux]</td><td style="border: 1px solid black; width: 10px; height: 10px;"></td></tr> <tr><td style="border: 1px solid black; padding: 2px;">[infl: Inf</td><td style="border: 1px solid black; width: 10px; height: 10px;"></td></tr> </table>	[T		[-aux]		[infl: Inf		<table style="border-collapse: collapse;"> <tr><td style="border: 1px solid black; padding: 2px;">[uClause-type: __</td><td style="border: 1px solid black; width: 10px; height: 10px;"></td></tr> <tr><td style="border: 1px solid black; padding: 2px;">[u]: __</td><td style="border: 1px solid black; width: 10px; height: 10px;"></td></tr> </table>	[uClause-type: __		[u]: __		[uv, uD* ]						
[T																			
[-aux]																			
[infl: Inf																			
[uClause-type: __																			
[u]: __																			
$dog$	<table style="border-collapse: collapse;"> <tr><td style="border: 1px solid black; padding: 2px;">[N</td><td style="border: 1px solid black; width: 10px; height: 10px;"></td></tr> <tr><td style="border: 1px solid black; padding: 2px;">]: 3sm</td><td style="border: 1px solid black; width: 10px; height: 10px;"></td></tr> </table>	[N		]: 3sm		[uCase: __ ]	[            ]												
[N																			
]: 3sm																			

---

## Operations:

### Merge( $\alpha$ , $\beta$ )

For any syntactic objects  $\alpha$ ,  $\beta$ , where  $\alpha$  bears an unchecked selectional feature  $F$ , and  $\beta$  bears a matching categorial feature  $F$ ,

call  $\alpha$  the *head* and

let  $\text{Merge}(\alpha, \beta) = \{ \alpha \{ \beta, \alpha \} \}$

call  $\beta$  the *label* and

let  $F$  be checked (written  $\mathbb{F}$ ), and

let  $\alpha = \alpha \ \alpha$ , where  $\alpha$  is the set of all unchecked non-inflectional features

---

### Adjoin( $\alpha$ , $\beta$ )

For any syntactic objects  $\alpha$ ,  $\beta$ , where neither  $\alpha$  nor  $\beta$  has any unchecked selectional feature,

call  $\alpha$  the *host*, and

let  $\text{Adjoin}(\alpha, \beta) = \{ \alpha \{ \beta, \alpha \} \}$

call  $\beta$  the *label* and

let  $\alpha = \alpha$

---

### Move<sub>head</sub>( $X^*$ , $Y$ ) (F\* on probe)

If  $X$  is a head with a strong feature  $F^*$ ,  $Y$  a head with a matching feature  $F$ , and  $X$  c-commands  $Y$ , then

let  $X = \{X, \{Y, X\}\}$  and

let  $F^* = \mathbb{F}^*$ , and

let  $Y = \langle Y \rangle$

---

### Move<sub>head</sub>( $X$ , $Y^*$ ) (F\* on goal)

If  $Y$  is a head with a strong feature  $F^*$ ,  $X$  a head with a matching feature  $F$ , and  $X$  c-commands  $Y$ , then

let  $X = \{X, \{Y, X\}\}$  and

let  $F^* = \mathbb{F}^*$ , and

let  $Y = \langle Y \rangle$

---

### Agree( $X, Y; F$ )

For any syntactic objects  $X$  and  $Y$ , where  $X$  bears a feature  $F$  with value  $\text{Val}(F)$  and  $Y$  bears a matching unvalued inflectional feature  $uF$ , and  $X$  c-commands  $Y$ ,

let  $\text{Val}(uF) = \text{Val}(F)$  and

if  $uF$  is weak, then let  $uF = \mathbb{u}\mathbb{F}$

---

**Move<sub>phrase</sub>(X\*, Y)** (F\* on probe)

If X is a projection with a strong feature F\*, Y a maximal projection with a matching feature F, and X contains Y, then

let X = {X, {Y, X}} and

let F\* = F\*, and

let Y = <Y>

---

**Move<sub>phrase</sub>(X, Y\*)** (F\* on goal)

If Y is a maximal projection with a strong feature F\*, X a projection with a matching feature F, and X contains Y, then

let X = {X, {Y, X}} and

let F\* = F\*, and

let Y = <Y>

---

**Move<sub>phrase</sub>(X\*, Y\*)** (F\* on both probe and goal)

If X is a projection with a strong feature F\*, Y a maximal projection with a matching feature F\*, and X contains Y, then

let X = {X, {Y, X}} and

let F\* = F\*, and

let Y = <Y>